

NEWTON’S LAWS OF MOTION

JEE MAINS Physics – Class 11 – Complete formula Sheet

NEWTON’S THREE LAWS

1st Law: Net $F = 0 \Rightarrow v = \text{const}$ (inertia)

2nd Law: $\vec{F}_{\text{net}} = m\vec{a}$

3rd Law: $\vec{F}_{AB} = -\vec{F}_{BA}$

$F = \frac{dp}{dt}$ (General 2nd Law)

$\vec{p} = m\vec{v}$ (linear momentum)

$\vec{J} = \Delta\vec{p} = \vec{F}_{\text{avg}} \cdot \Delta t$ (impulse)

FRICTION

Laws of Friction

$f_s \leq \mu_s N$ (static, max = $\mu_s N$)

$f_k = \mu_k N$ (kinetic)

$\mu_k < \mu_s$ always

On Inclined Plane

- ▶ Normal: $N = mg \cos \theta$
- ▶ Friction (sliding down): $f = \mu mg \cos \theta$
- ▶ Net a (down): $a = g(\sin \theta - \mu \cos \theta)$
- ▶ Condition to slide: $\tan \theta > \mu_s$
- ▶ Angle of repose: $\theta_r = \tan^{-1}(\mu_s)$

Block on Block (Friction)

- ▶ Max friction between blocks: $f = \mu m_{\text{top}}g$
- ▶ Critical force before slipping: $F_{\text{max}} = \mu(m_1 + m_2)g$

If two blocks move together: treat as one
Check if friction needed $>$ max available

CONNECTED BODIES

Atwood Machine (Pulley)

$a = \frac{(m_1 - m_2)g}{m_1 + m_2}$

$T = \frac{2m_1m_2g}{m_1 + m_2}$

Mass on Incline (Pulley)

Hanging mass m_2 , block m_1 on incline θ :

$a = \frac{m_2g - m_1g \sin \theta}{m_1 + m_2}$

$T = \frac{m_1m_2g(1 + \sin \theta)}{m_1 + m_2}$

**CIRCULAR MOTION (New-
ton)**

Centripetal force: $F_c = \frac{mv^2}{r} = m\omega^2r$

Centripetal accel: $a_c = \frac{v^2}{r} = \omega^2r$

Banking of Roads

$\tan \theta = \frac{v^2}{rg}$ (frictionless banking)

$v_{\text{max}} = \sqrt{rg \frac{\mu + \tan \theta}{1 - \mu \tan \theta}}$

$v_{\text{min}} = \sqrt{rg \frac{\tan \theta - \mu}{1 + \mu \tan \theta}}$

Conical Pendulum

$T = 2\pi \sqrt{\frac{l \cos \theta}{g}}$

$\omega = \sqrt{\frac{g}{l \cos \theta}}$

$T_{\text{string}} = \frac{mg}{\cos \theta}$

Vertical Circle (Minimum Speeds)

At top: $v_{\text{min}} = \sqrt{gr}$

At bottom: $v_{\text{min}} = \sqrt{5gr}$

$T_{\text{bottom}} - T_{\text{top}} = 6mg$

PSEUDO FORCE

In non-inertial frame (acceleration a_0):

$\vec{F}_{\text{pseudo}} = -m\vec{a}_0$

Acts on every object in that frame

Applications

- ▶ Lift accelerating up: $N = m(g + a)$
- ▶ Lift accelerating down: $N = m(g - a)$
- ▶ Free fall ($a = g$): $N = 0$ (weightlessness)
- ▶ Pendulum in accelerating vehicle:
 $T = 2\pi \sqrt{\frac{l}{\sqrt{g^2 + a^2}}}$, $\tan \phi = \frac{a}{g}$

SPRING FORCE

$F = -kx$ (Hooke’s Law)

Springs in series: $\frac{1}{k_{\text{eff}}} = \frac{1}{k_1} + \frac{1}{k_2}$

Springs in parallel: $k_{\text{eff}} = k_1 + k_2$

KEY TRICKS

- ▶ Normal force $\neq mg$ in accelerating systems
- ▶ Static friction is self-adjusting (0 to $\mu_s N$)
- ▶ Tension same throughout massless string
- ▶ In accelerating pulley: $a_1 + a_2 = 2a_{\text{pulley}}$
- ▶ Rolling without slipping: $a = g \sin \theta / (1 + I/mr^2)$